

thm_2Ebinary_ieee_2Efloat_infinities_distinct
(TMYGGwdTss-
WPp5FXSYTA9x6beRGoEA1PSzJ)

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Definition 1 We define `c_2Emin_2E_40` to be $\lambda A. \lambda P \in 2^A. \text{if } (\exists x \in A. p \text{ (ap } P \ x)) \text{ then (the } (\lambda x. x \in A \wedge p \text{ of type } \iota \Rightarrow \iota).$

Definition 2 We define `c_2Emin_2E_3D` to be $\lambda A. \lambda x \in A. \lambda y \in A. \text{inj_o } (x = y)$ of type $\iota \Rightarrow \iota$.

Definition 3 We define `c_2Ebool_2E_3F` to be $\lambda A. 27a : \iota. (\lambda V0P \in (2^{A-27a}). (\text{ap } V0P \text{ (ap (c_2Emin_2E_40 } A$

Let `ty_2Enum_2Enum` : ι be given. Assume the following.

$$\text{nonempty ty_2Enum_2Enum} \tag{1}$$

Let `c_2Earithmetic_2EDIV` : ι be given. Assume the following.

$$c_2Earithmetic_2EDIV \in ((\text{ty_2Enum_2Enum}^{\text{ty_2Enum_2Enum}})^{\text{ty_2Enum_2Enum}}) \tag{2}$$

Let `ty_2EfcP_2Ecart` : $\iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A0. \text{nonempty } A0 \Rightarrow \forall A1. \text{nonempty } A1 \Rightarrow \text{nonempty (ty_2EfcP_2Ecart } A0 \ A1) \tag{3}$$

Let `ty_2Ebinary_ieee_2Efloat` : $\iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A0. \text{nonempty } A0 \Rightarrow \forall A1. \text{nonempty } A1 \Rightarrow \text{nonempty (ty_2Ebinary_ieee_2Efloat } A0 \ A1) \tag{4}$$

Let `c_2Ebinary_ieee_2Efloat_Significand` : $\iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t. \text{nonempty } A_27t \Rightarrow \forall A_27w. \text{nonempty } A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_Significand \ A_27t \ A_27w \in ((\text{ty_2EfcP_2Ecart } 2 \ A_27t)^{\text{ty_2Ebinary_ieee_2Efloat } A_27t \ A_27w}) \tag{5}$$

Let $c_2Ebinary_ieee_2Efloat_Exponent : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_Exponent\ A_27t\ A_27w \in ((ty_2Efc_2Ecart\ 2\ A_27w)^{(ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)}) \quad (6)$$

Let $ty_2Eone_2Eone : \iota$ be given. Assume the following.

$$nonempty\ ty_2Eone_2Eone \quad (7)$$

Let $c_2Ebinary_ieee_2Efloat_Sign : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_Sign\ A_27t\ A_27w \in ((ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)^{(ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)}) \quad (8)$$

Let $c_2Ebool_2EARB : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27a.nonempty\ A_27a \Rightarrow c_2Ebool_2EARB\ A_27a \in A_27a \quad (9)$$

Let $c_2Ebinary_ieee_2Efloat_Significand_fupd : \iota \Rightarrow \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27u.nonempty\ A_27u \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_Significand_fupd\ A_27t\ A_27u\ A_27w \in (((ty_2Ebinary_ieee_2Efloat\ A_27u\ A_27w)^{(ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)}) \quad (10)$$

Let $c_2Ebinary_ieee_2Efloat_Exponent_fupd : \iota \Rightarrow \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow \forall A_27x.nonempty\ A_27x \Rightarrow c_2Ebinary_ieee_2Efloat_Exponent_fupd\ A_27t\ A_27w\ A_27x \in (((ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27x)^{(ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)}) \quad (11)$$

Let $c_2Ebinary_ieee_2Efloat_Sign_fupd : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_Sign_fupd\ A_27t\ A_27w \in (((ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)^{(ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)}) \quad (12)$$

Let $ty_2Epair_2Eprod : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A0.nonempty\ A0 \Rightarrow \forall A1.nonempty\ A1 \Rightarrow nonempty\ (ty_2Epair_2Eprod\ A0\ A1) \quad (13)$$

Let $ty_2Ebool_2Eitself : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A0.nonempty\ A0 \Rightarrow nonempty\ (ty_2Ebool_2Eitself\ A0) \quad (14)$$

Let $c_2Ebinary_ieee_2Efloat_plus_infinity : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_plus_infinity\ A_27t\ A_27w \in ((ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)^{(ty_2Ebool_2Eitself\ (ty_2Epair_2Eprod\ A_27t\ A_27w))}) \quad (15)$$

Let $ty_2Efcf_2Efinite_image : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A0.nonempty\ A0 \Rightarrow nonempty\ (ty_2Efcf_2Efinite_image\ A0) \quad (16)$$

Let $c_2Ebool_2Ethe_value : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27a.nonempty\ A_27a \Rightarrow c_2Ebool_2Ethe_value\ A_27a \in (ty_2Ebool_2Eitself\ A_27a) \quad (17)$$

Let $c_2Efcf_2Edimindex : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27a.nonempty\ A_27a \Rightarrow c_2Efcf_2Edimindex\ A_27a \in (ty_2Enum_2Enum^{(ty_2Ebool_2Eitself\ A_27a)}) \quad (18)$$

Definition 4 We define c_2Ebool_2ET to be $(ap\ (ap\ (c_2Emin_2E_3D\ (2^2))\ (\lambda V0x \in 2.V0x))\ (\lambda V1x \in 2.V1x))$

Definition 5 We define $c_2Ebool_2E_21$ to be $\lambda A_27a : \iota. (\lambda V0P \in (2^{A_27a}). (ap\ (ap\ (c_2Emin_2E_3D\ (2^{A_27a})))$

Definition 6 We define c_2Ebool_2EF to be $(ap\ (c_2Ebool_2E_21\ 2)\ (\lambda V0t \in 2.V0t))$.

Definition 7 We define $c_2Emin_2E_3D_3D_3E$ to be $\lambda P \in 2. \lambda Q \in 2. inj_o\ (p\ P \Rightarrow p\ Q)$ of type ι .

Definition 8 We define $c_2Ebool_2E_7E$ to be $(\lambda V0t \in 2. (ap\ (ap\ c_2Emin_2E_3D_3D_3E\ V0t)\ c_2Ebool_2EF))$

Definition 9 We define $c_2Ebool_2E_2F_5C$ to be $(\lambda V0t1 \in 2. (\lambda V1t2 \in 2. (ap\ (c_2Ebool_2E_21\ 2)\ (\lambda V2t \in 2.V2t))))$

Let $c_2Enum_2EREP_num : \iota$ be given. Assume the following.

$$c_2Enum_2EREP_num \in (\omega^{ty_2Enum_2Enum}) \quad (19)$$

Let $c_2Enum_2ESUC_REP : \iota$ be given. Assume the following.

$$c_2Enum_2ESUC_REP \in (\omega^{omega}) \quad (20)$$

Let $c_2Enum_2EABS_num : \iota$ be given. Assume the following.

$$c_2Enum_2EABS_num \in (ty_2Enum_2Enum^{omega}) \quad (21)$$

Definition 10 We define c_2Enum_2ESUC to be $\lambda V0m \in ty_2Enum_2Enum. (ap\ c_2Enum_2EABS_num\ m)$

Definition 11 We define $c_2Eprim_rec_2E_3C$ to be $\lambda V0m \in ty_2Enum_2Enum. \lambda V1n \in ty_2Enum_2Enum. (ap\ (ap\ c_2Ebool_2E_2F_5C\ m)\ n)$

Definition 12 We define $c_2Ebool_2E_3F_21$ to be $\lambda A_27a : \iota. (\lambda V0P \in (2^{A_27a}). (ap\ (ap\ c_2Ebool_2E_2F_5C\ P)\ V0P))$

Definition 13 We define $c_2Efc_2Efinite_index$ to be $\lambda A_27a : \iota.(ap (c_2Emin_2E40 (A_27a^{ty_2Enum_2Enum}$

Let $c_2Efc_2Edest_cart : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\begin{aligned} & \forall A_27a.nonempty\ A_27a \Rightarrow \forall A_27b.nonempty\ A_27b \Rightarrow c_2Efc_2Edest_cart \\ & A_27a\ A_27b \in ((A_27a^{(ty_2Efc_2Efinite_image\ A_27b)})^{(ty_2Efc_2Ecart\ A_27a\ A_27b)}) \end{aligned} \quad (22)$$

Definition 14 We define $c_2Efc_2Efc_index$ to be $\lambda A_27a : \iota.\lambda A_27b : \iota.\lambda V0x \in (ty_2Efc_2Ecart\ A_27a\ A_27b)$

Definition 15 We define c_2Efc_2EFCP to be $\lambda A_27a : \iota.\lambda A_27b : \iota.(\lambda V0g \in (A_27a^{ty_2Enum_2Enum}).(ap$

Definition 16 We define $c_2Ewords_2Eword_1comp$ to be $\lambda A_27a : \iota.\lambda V0w \in (ty_2Efc_2Ecart\ 2\ A_27a)$.

Definition 17 We define $c_2Ecombin_2EK$ to be $\lambda A_27a : \iota.\lambda A_27b : \iota.(\lambda V0x \in A_27a.(\lambda V1y \in A_27b.V0x)$

Definition 18 We define $c_2Ebinary_ieee_2Efloat_negate$ to be $\lambda A_27t : \iota.\lambda A_27w : \iota.\lambda V0x \in (ty_2Ebinary$

Let $c_2Ebinary_ieee_2Efloat_minus_infinity : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\begin{aligned} & \forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow c_2Ebinary_ieee_2Efloat_minus_infinity \\ & A_27t\ A_27w \in ((ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)^{(ty_2Ebool_2Eitself\ (ty_2Epair_2Eprod\ A_27t\ A_27w))}) \end{aligned} \quad (23)$$

Definition 19 We define c_2Ebool_2ELET to be $\lambda A_27a : \iota.\lambda A_27b : \iota.(\lambda V0f \in (A_27b^{A_27a}).(\lambda V1x \in A_27a$

Definition 20 We define $c_2Ebool_2E5C_2F$ to be $(\lambda V0t1 \in 2.(\lambda V1t2 \in 2.(ap (c_2Ebool_2E21\ 2)\ (\lambda V2t \in$

Definition 21 We define $c_2Ecombin_2ES$ to be $\lambda A_27a : \iota.\lambda A_27b : \iota.\lambda A_27c : \iota.(\lambda V0f \in ((A_27c^{A_27b})^{A_27a}$

Definition 22 We define $c_2Ecombin_2EI$ to be $\lambda A_27a : \iota.(ap (ap (c_2Ecombin_2ES\ A_27a\ (A_27a^{A_27a})\ A$

Definition 23 We define $c_2Ecombin_2Eo$ to be $\lambda A_27a : \iota.\lambda A_27b : \iota.\lambda A_27c : \iota.\lambda V0f \in (A_27b^{A_27c}).\lambda V1$

Definition 24 We define $c_2Earithmetic_2E3E$ to be $\lambda V0m \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum$

Definition 25 We define $c_2Earithmetic_2E3E_3D$ to be $\lambda V0m \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum$

Definition 26 We define $c_2Earithmetic_2E3C_3D$ to be $\lambda V0m \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum$

Let $c_2Enum_2EZERO_REP : \iota$ be given. Assume the following.

$$c_2Enum_2EZERO_REP \in \omega \quad (24)$$

Definition 27 We define c_2Enum_2E0 to be $(ap\ c_2Enum_2EABS_num\ c_2Enum_2EZERO_REP)$.

Definition 28 We define c_2Ebool_2ECOND to be $\lambda A_27a : \iota.(\lambda V0t \in 2.(\lambda V1t1 \in A_27a.(\lambda V2t2 \in A_27a.($

Definition 29 We define $c_2Eprim_rec_2EPRE$ to be $\lambda V0m \in ty_2Enum_2Enum.(ap (ap (ap (c_2Ebool_2E$

Let $c_2Earithmetic_2EEXP : \iota$ be given. Assume the following.

$$c_2Earithmetic_2EEXP \in ((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}) \quad (25)$$

Let $c_2Earithmetic_2E_2A : \iota$ be given. Assume the following.

$$c_2Earithmetic_2E_2A \in ((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}) \quad (26)$$

Definition 30 We define $c_2Enumeral_2EiZ$ to be $\lambda V0x \in ty_2Enum_2Enum.V0x$.

Let $c_2Earithmetic_2E_2B : \iota$ be given. Assume the following.

$$c_2Earithmetic_2E_2B \in ((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}) \quad (27)$$

Definition 31 We define $c_2Enumeral_2EiDUB$ to be $\lambda V0x \in ty_2Enum_2Enum.(ap (ap c_2Earithmetic_2E_2B) x)$.

Let $c_2Enumeral_2EiSUB : \iota$ be given. Assume the following.

$$c_2Enumeral_2EiSUB \in (((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum})^2) \quad (28)$$

Let $c_2Earithmetic_2EEVEN : \iota$ be given. Assume the following.

$$c_2Earithmetic_2EEVEN \in (2^{ty_2Enum_2Enum}) \quad (29)$$

Definition 32 We define $c_2Earithmetic_2EZERO$ to be c_2Enum_2E0 .

Definition 33 We define $c_2Earithmetic_2EBIT2$ to be $\lambda V0n \in ty_2Enum_2Enum.(ap (ap c_2Earithmetic_2EBIT2) n)$.

Definition 34 We define $c_2Earithmetic_2ENUMERAL$ to be $\lambda V0x \in ty_2Enum_2Enum.V0x$.

Definition 35 We define $c_2Earithmetic_2EDIV2$ to be $\lambda V0n \in ty_2Enum_2Enum.(ap (ap c_2Earithmetic_2EDIV2) n)$.

Let $c_2Earithmetic_2EODD : \iota$ be given. Assume the following.

$$c_2Earithmetic_2EODD \in (2^{ty_2Enum_2Enum}) \quad (30)$$

Let $c_2Earithmetic_2EMOD : \iota$ be given. Assume the following.

$$c_2Earithmetic_2EMOD \in ((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}) \quad (31)$$

Let $c_2Earithmetic_2E_2D : \iota$ be given. Assume the following.

$$c_2Earithmetic_2E_2D \in ((ty_2Enum_2Enum^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}) \quad (32)$$

Let $c_2Ewords_2EUINT_MAX : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27a.nonempty A_27a \Rightarrow c_2Ewords_2EUINT_MAX A_27a \in (ty_2Enum_2Enum^{(ty_2Ebool_2Eitself A_27a)}) \quad (33)$$

Definition 36 We define $c_2Earithmetic_2EBIT1$ to be $\lambda V0n \in ty_2Enum_2Enum.(ap (ap c_2Earithmetic$

Definition 37 We define $c_2Ebit_2EDIV_2EXP$ to be $\lambda V0x \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum$

Definition 38 We define $c_2Ebit_2EMOD_2EXP$ to be $\lambda V0x \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum$

Definition 39 We define c_2Ebit_2EBITS to be $\lambda V0h \in ty_2Enum_2Enum.\lambda V1l \in ty_2Enum_2Enum.\lambda V$

Definition 40 We define c_2Ebit_2EBIT to be $\lambda V0b \in ty_2Enum_2Enum.\lambda V1n \in ty_2Enum_2Enum.(ap$

Definition 41 We define $c_2Ewords_2En2w$ to be $\lambda A_27a : \iota.\lambda V0n \in ty_2Enum_2Enum.(ap (c_2Efc$

Definition 42 We define $c_2Ewords_2Eword_T$ to be $\lambda A_27a : \iota.(ap (c_2Ewords_2En2w A_27a) (ap (c_2Ew$

Definition 43 We define $c_2Ebit_2EMOD_2EXP_MAX$ to be $\lambda V0n \in ty_2Enum_2Enum.\lambda V1a \in ty_2Enum$

Definition 44 We define c_2Ebit_2ESBIT to be $\lambda V0b \in 2.\lambda V1n \in ty_2Enum_2Enum.(ap (ap (ap (c_2Ebo$

Let $c_2Esum_num_2ESUM : \iota$ be given. Assume the following.

$$c_2Esum_num_2ESUM \in ((ty_2Enum_2Enum^{(ty_2Enum_2Enum^{ty_2Enum_2Enum} ty_2Enum_2Enum)}) ty_2Enum_2Enum) \quad (34)$$

Definition 45 We define $c_2Ewords_2Ew2n$ to be $\lambda A_27a : \iota.\lambda V0w \in (ty_2Efc$

Let $c_2Ewords_2Edimword : \iota \Rightarrow \iota$ be given. Assume the following.

$$\forall A_27a.nonempty A_27a \Rightarrow c_2Ewords_2Edimword A_27a \in (ty_2Enum_2Enum^{(ty_2Ebool_2Eitself A_27a)}) \quad (35)$$

Definition 46 We define $c_2Ewords_2Eword_2comp$ to be $\lambda A_27a : \iota.\lambda V0w \in (ty_2Efc$

Definition 47 We define $c_2Ebit_2EMOD_2EXP_EQ$ to be $\lambda V0n \in ty_2Enum_2Enum.\lambda V1a \in ty_2Enum$

Assume the following.

$$(\forall V0m \in ty_2Enum_2Enum.(((ap (ap c_2Earithmetic_2E_2D c_2Enum_2E0) V0m) = c_2Enum_2E0) \wedge ((ap (ap c_2Earithmetic_2E_2D V0m) c_2Enum_2E0) = V0m))) \quad (36)$$

Assume the following.

$$(\forall V0m \in ty_2Enum_2Enum.((ap c_2Eprim_rec_2EPRE V0m) = (ap (ap c_2Earithmetic_2E_2D V0m) (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 c_2Earithmetic_2EZERO)))))) \quad (37)$$

Assume the following.

$$(\forall V0n \in ty_2Enum_2Enum.(\forall V1k \in ty_2Enum_2Enum.(\forall V2r \in ty_2Enum_2Enum.((\exists V3q \in ty_2Enum_2Enum.(V1k = (ap (ap c_2Earithmetic_2E_2B (ap (ap c_2Earithmetic_2E_2A V3q) V0n)) V2r)) \wedge (p (ap (ap c_2Eprim_rec_2E_3C V2r) V0n)))))) \Rightarrow (ap (ap c_2Earithmetic_2EMOD V1k) V0n) = V2r)))) \quad (38)$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. ((p (ap (ap c_2Eprim_rec_2E_3C \\
& c_2Enum_2E0) V0n)) \Rightarrow ((ap (ap c_2Earithmetic_2EMOD c_2Enum_2E0) \\
& V0n) = c_2Enum_2E0)))
\end{aligned} \tag{39}$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. ((p (ap (ap c_2Eprim_rec_2E_3C \\
& c_2Enum_2E0) V0n)) \Rightarrow (((ap (ap c_2Earithmetic_2EDIV V0n) V0n) = \\
& (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 c_2Earithmetic_2EZERO)))) \wedge \\
& ((ap (ap c_2Earithmetic_2EMOD V0n) V0n) = c_2Enum_2E0))))
\end{aligned} \tag{40}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty A_27a \Rightarrow (\forall V0f \in ((A_27a^{ty_2Enum_2Enum})^{ty_2Enum_2Enum}). \\
& (\forall V1g \in (A_27a^{ty_2Enum_2Enum}). ((\forall V2n \in ty_2Enum_2Enum. \\
& ((ap V1g (ap c_2Enum_2ESUC V2n)) = (ap (ap V0f V2n) (ap c_2Enum_2ESUC \\
& V2n)))) \Leftrightarrow ((\forall V3n \in ty_2Enum_2Enum. ((ap V1g (ap c_2Earithmetic_2ENUMERAL \\
& (ap c_2Earithmetic_2EBIT1 V3n))) = (ap (ap V0f (ap (ap c_2Earithmetic_2E_2D \\
& (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 V3n))) \\
& (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 c_2Earithmetic_2EZERO)))))) \wedge \\
& ((\forall V4n \in ty_2Enum_2Enum. ((ap V1g (ap c_2Earithmetic_2ENUMERAL \\
& (ap c_2Earithmetic_2EBIT2 V4n))) = (ap (ap V0f (ap c_2Earithmetic_2ENUMERAL \\
& (ap c_2Earithmetic_2EBIT1 V4n))) (ap c_2Earithmetic_2ENUMERAL \\
& (ap c_2Earithmetic_2EBIT2 V4n))))))))))
\end{aligned} \tag{41}$$

Assume the following.

$$\begin{aligned}
& \forall A_27t.\text{nonempty } A_27t \Rightarrow \forall A_27u.\text{nonempty } A_27u \Rightarrow \forall A_27w. \\
& \quad \text{nonempty } A_27w \Rightarrow \forall A_27x.\text{nonempty } A_27x \Rightarrow ((\forall V0f0 \in \\
& \quad ((ty_2EfcP_2Ecart\ 2\ A_27x)^{(ty_2EfcP_2Ecart\ 2\ A_27w)}).(\forall V1f \in \\
& \quad (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (c_2EbinaRy_ieee_2Efloat_Sign \\
& \quad A_27t\ A_27x)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Exponent_fupd \\
& \quad A_27t\ A_27w\ A_27x)\ V0f0)\ V1f)) = (ap\ (c_2EbinaRy_ieee_2Efloat_Sign \\
& \quad A_27t\ A_27w)\ V1f)))) \wedge ((\forall V2f0 \in ((ty_2EfcP_2Ecart\ 2\ A_27u)^{(ty_2EfcP_2Ecart\ 2\ A_27t)}). \\
& \quad (\forall V3f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Sign\ A_27u\ A_27w)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Significand_fupd \\
& \quad A_27t\ A_27u\ A_27w)\ V2f0)\ V3f)) = (ap\ (c_2EbinaRy_ieee_2Efloat_Sign \\
& \quad A_27t\ A_27w)\ V3f)))) \wedge ((\forall V4f0 \in ((ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)^{(ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)}). \\
& \quad (\forall V5f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Exponent\ A_27t\ A_27w)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Sign_fupd \\
& \quad A_27t\ A_27w)\ V4f0)\ V5f)) = (ap\ (c_2EbinaRy_ieee_2Efloat_Exponent \\
& \quad A_27t\ A_27w)\ V5f)))) \wedge ((\forall V6f0 \in ((ty_2EfcP_2Ecart\ 2\ A_27u)^{(ty_2EfcP_2Ecart\ 2\ A_27t)}). \\
& \quad (\forall V7f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Exponent\ A_27u\ A_27w)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Significand_fupd \\
& \quad A_27t\ A_27u\ A_27w)\ V6f0)\ V7f)) = (ap\ (c_2EbinaRy_ieee_2Efloat_Exponent \\
& \quad A_27t\ A_27w)\ V7f)))) \wedge ((\forall V8f0 \in ((ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)^{(ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)}). \\
& \quad (\forall V9f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Significand\ A_27t\ A_27w)\ (ap\ (ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Sign_fupd\ A_27t\ A_27w)\ V8f0)\ V9f)) = \\
& \quad (ap\ (c_2EbinaRy_ieee_2Efloat_Significand\ A_27t\ A_27w)\ V9f)))) \wedge \\
& \quad ((\forall V10f0 \in ((ty_2EfcP_2Ecart\ 2\ A_27x)^{(ty_2EfcP_2Ecart\ 2\ A_27w)}). \\
& \quad (\forall V11f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad (c_2EbinaRy_ieee_2Efloat_Significand\ A_27t\ A_27x)\ (ap\ (ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Exponent_fupd\ A_27t\ A_27w\ A_27x)\ \\
& \quad V10f0)\ V11f)) = (ap\ (c_2EbinaRy_ieee_2Efloat_Significand\ A_27t \\
& \quad A_27w)\ V11f)))) \wedge ((\forall V12f0 \in ((ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)^{(ty_2EfcP_2Ecart\ 2\ ty_2Eone_2Eone)}). \\
& \quad (\forall V13f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad (c_2EbinaRy_ieee_2Efloat_Sign\ A_27t\ A_27w)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Sign_fupd \\
& \quad A_27t\ A_27w)\ V12f0)\ V13f)) = (ap\ V12f0\ (ap\ (c_2EbinaRy_ieee_2Efloat_Sign \\
& \quad A_27t\ A_27w)\ V13f)))) \wedge ((\forall V14f0 \in ((ty_2EfcP_2Ecart\ 2 \\
& \quad A_27x)^{(ty_2EfcP_2Ecart\ 2\ A_27w)}).(\forall V15f \in (ty_2EbinaRy_ieee_2Efloat \\
& \quad A_27t\ A_27w).((ap\ (c_2EbinaRy_ieee_2Efloat_Exponent\ A_27t \\
& \quad A_27x)\ (ap\ (ap\ (c_2EbinaRy_ieee_2Efloat_Exponent_fupd\ A_27t \\
& \quad A_27w\ A_27x)\ V14f0)\ V15f)) = (ap\ V14f0\ (ap\ (c_2EbinaRy_ieee_2Efloat_Exponent \\
& \quad A_27t\ A_27w)\ V15f)))) \wedge ((\forall V16f0 \in ((ty_2EfcP_2Ecart\ 2\ A_27u)^{(ty_2EfcP_2Ecart\ 2\ A_27t)}). \\
& \quad (\forall V17f \in (ty_2EbinaRy_ieee_2Efloat\ A_27t\ A_27w).((ap\ (\\
& \quad (c_2EbinaRy_ieee_2Efloat_Significand\ A_27u\ A_27w)\ (ap\ (ap\ (\\
& \quad c_2EbinaRy_ieee_2Efloat_Significand_fupd\ A_27t\ A_27u\ A_27w)\ \\
& \quad V16f0)\ V17f)) = (ap\ V16f0\ (ap\ (c_2EbinaRy_ieee_2Efloat_Significand \\
& \quad A_27t\ A_27w)\ V17f))))))))))
\end{aligned} \tag{42}$$

Assume the following.

$$\begin{aligned}
& \forall A.27t.nonempty\ A.27t \Rightarrow \forall A.27u.nonempty\ A.27u \Rightarrow \forall A.27v. \\
& nonempty\ A.27v \Rightarrow \forall A.27w.nonempty\ A.27w \Rightarrow \forall A.27x.nonempty \\
& A.27x \Rightarrow \forall A.27y.nonempty\ A.27y \Rightarrow ((\forall V0g \in ((ty_2Efc_2Ecart \\
& 2\ ty_2Eone_2Eone)^{(ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)}), (\forall V1f0 \in \\
& ((ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)^{(ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)}), \\
& (\forall V2f \in (ty_2Ebinary_ieee_2Efloat\ A.27t\ A.27w)).((ap\ (\\
& ap\ (c_2Ebinary_ieee_2Efloat_Sign_fupd\ A.27t\ A.27w)\ V1f0) \\
& (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Sign_fupd\ A.27t\ A.27w)\ V0g) \\
& V2f))) = (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Sign_fupd\ A.27t\ A.27w) \\
& (ap\ (ap\ (c_2Ecombin_2Eo\ (ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)\ (\\
& ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)\ (ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)) \\
& V1f0)\ V0g))\ V2f)))) \wedge ((\forall V3g \in ((ty_2Efc_2Ecart\ 2\ A.27x)^{(ty_2Efc_2Ecart\ 2\ A.27w)}), \\
& (\forall V4f0 \in ((ty_2Efc_2Ecart\ 2\ A.27y)^{(ty_2Efc_2Ecart\ 2\ A.27x)}), \\
& (\forall V5f \in (ty_2Ebinary_ieee_2Efloat\ A.27t\ A.27w)).((ap\ (\\
& ap\ (c_2Ebinary_ieee_2Efloat_Exponent_fupd\ A.27t\ A.27x\ A.27y) \\
& V4f0)\ (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Exponent_fupd\ A.27t \\
& A.27w\ A.27x)\ V3g)\ V5f))) = (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Exponent_fupd \\
& A.27t\ A.27w\ A.27y)\ (ap\ (ap\ (c_2Ecombin_2Eo\ (ty_2Efc_2Ecart\ 2 \\
& A.27w)\ (ty_2Efc_2Ecart\ 2\ A.27y)\ (ty_2Efc_2Ecart\ 2\ A.27x)) \\
& V4f0)\ V3g))\ V5f)))) \wedge ((\forall V6g \in ((ty_2Efc_2Ecart\ 2\ A.27u)^{(ty_2Efc_2Ecart\ 2\ A.27t)}), \\
& (\forall V7f0 \in ((ty_2Efc_2Ecart\ 2\ A.27v)^{(ty_2Efc_2Ecart\ 2\ A.27u)}), \\
& (\forall V8f \in (ty_2Ebinary_ieee_2Efloat\ A.27t\ A.27w)).((ap\ (\\
& ap\ (c_2Ebinary_ieee_2Efloat_Significand_fupd\ A.27u\ A.27v \\
& A.27w)\ V7f0)\ (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Significand_fupd \\
& A.27t\ A.27u\ A.27w)\ V6g)\ V8f))) = (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Significand_fupd \\
& A.27t\ A.27v\ A.27w)\ (ap\ (ap\ (c_2Ecombin_2Eo\ (ty_2Efc_2Ecart\ 2 \\
& A.27t)\ (ty_2Efc_2Ecart\ 2\ A.27v)\ (ty_2Efc_2Ecart\ 2\ A.27u)) \\
& V7f0)\ V6g))\ V8f))))))
\end{aligned} \tag{43}$$

Assume the following.

$$\begin{aligned}
& \forall A.27t.nonempty\ A.27t \Rightarrow \forall A.27w.nonempty\ A.27w \Rightarrow (\\
& \forall V0f1 \in (ty_2Ebinary_ieee_2Efloat\ A.27t\ A.27w).(\forall V1f2 \in \\
& (ty_2Ebinary_ieee_2Efloat\ A.27t\ A.27w).((V0f1 = V1f2) \Leftrightarrow ((ap \\
& (c_2Ebinary_ieee_2Efloat_Sign\ A.27t\ A.27w)\ V0f1) = (ap\ (c_2Ebinary_ieee_2Efloat_Sign \\
& A.27t\ A.27w)\ V1f2)) \wedge ((ap\ (c_2Ebinary_ieee_2Efloat_Exponent \\
& A.27t\ A.27w)\ V0f1) = (ap\ (c_2Ebinary_ieee_2Efloat_Exponent \\
& A.27t\ A.27w)\ V1f2)) \wedge ((ap\ (c_2Ebinary_ieee_2Efloat_Significand \\
& A.27t\ A.27w)\ V0f1) = (ap\ (c_2Ebinary_ieee_2Efloat_Significand \\
& A.27t\ A.27w)\ V1f2))))))
\end{aligned} \tag{44}$$

Assume the following.

$$\begin{aligned}
& \forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow (\\
& \quad (ap\ (c_2Ebinary_ieee_2Efloat_plus_infinity\ A_27t\ A_27w) \\
& \quad (c_2Ebool_2Ethe_value\ (ty_2Epair_2Eprod\ A_27t\ A_27w))) = (ap \\
& \quad (ap\ (c_2Ebinary_ieee_2Efloat_Sign_fupd\ A_27t\ A_27w)\ (ap\ (\\
& \quad c_2Ecombin_2EK\ (ty_2Efc_2Ecart\ 2\ ty_2Eone_2Eone)\ (ty_2Efc_2Ecart \\
& \quad 2\ ty_2Eone_2Eone))\ (ap\ (c_2Ewords_2En2w\ ty_2Eone_2Eone)\ c_2Enum_2E0))) \\
& \quad (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Exponent_fupd\ A_27t\ A_27w \\
& \quad A_27w)\ (ap\ (c_2Ecombin_2EK\ (ty_2Efc_2Ecart\ 2\ A_27w)\ (ty_2Efc_2Ecart \\
& \quad 2\ A_27w))\ (c_2Ewords_2Eword_T\ A_27w)))\ (ap\ (ap\ (c_2Ebinary_ieee_2Efloat_Significand_fupd \\
& \quad A_27t\ A_27t\ A_27w)\ (ap\ (c_2Ecombin_2EK\ (ty_2Efc_2Ecart\ 2\ A_27t) \\
& \quad (ty_2Efc_2Ecart\ 2\ A_27t))\ (ap\ (c_2Ewords_2En2w\ A_27t)\ c_2Enum_2E0))) \\
& \quad (c_2Ebool_2EARB\ (ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w)))))) \\
& \hspace{10em} (45)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow (\\
& \quad (ap\ (c_2Ebinary_ieee_2Efloat_minus_infinity\ A_27t\ A_27w) \\
& \quad (c_2Ebool_2Ethe_value\ (ty_2Epair_2Eprod\ A_27t\ A_27w))) = (ap \\
& \quad (c_2Ebinary_ieee_2Efloat_negate\ A_27t\ A_27w)\ (ap\ (c_2Ebinary_ieee_2Efloat_plus_infinity \\
& \quad A_27t\ A_27w)\ (c_2Ebool_2Ethe_value\ (ty_2Epair_2Eprod\ A_27t \\
& \quad A_27w)))))) \\
& \hspace{10em} (46)
\end{aligned}$$

Assume the following.

$$True \hspace{10em} (47)$$

Assume the following.

$$(\forall V0t1 \in 2. (\forall V1t2 \in 2. (((p\ V0t1) \Rightarrow (p\ V1t2)) \Rightarrow (((p\ V1t2) \Rightarrow (p\ V0t1)) \Rightarrow ((p\ V0t1) \Leftrightarrow (p\ V1t2)))))) \hspace{2em} (48)$$

Assume the following.

$$(\forall V0t \in 2. (False \Rightarrow (p\ V0t))) \hspace{10em} (49)$$

Assume the following.

$$(\forall V0t \in 2. ((p\ V0t) \vee (\neg(p\ V0t)))) \hspace{10em} (50)$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty\ A_27a \Rightarrow \forall A_27b.nonempty\ A_27b \Rightarrow (\\
& \quad \forall V0f \in (A_27b^{A_27a}). (\forall V1x \in A_27a. ((ap\ (ap\ (c_2Ebool_2ELET \\
& \quad A_27a\ A_27b)\ V0f)\ V1x) = (ap\ V0f\ V1x)))) \\
& \hspace{10em} (51)
\end{aligned}$$

Assume the following.

$$(\forall V0t1 \in 2. (\forall V1t2 \in 2. (\forall V2t3 \in 2. (((p\ V0t1) \wedge ((p\ V1t2) \wedge (p\ V2t3))) \Leftrightarrow (((p\ V0t1) \wedge (p\ V1t2)) \wedge (p\ V2t3)))))) \hspace{2em} (52)$$

Assume the following.

$$\begin{aligned}
& (\forall V0t \in 2.(((True \wedge (p \ V0t)) \Leftrightarrow (p \ V0t)) \wedge (((p \ V0t) \wedge True) \Leftrightarrow \\
& (p \ V0t)) \wedge (((False \wedge (p \ V0t)) \Leftrightarrow False) \wedge (((p \ V0t) \wedge False) \Leftrightarrow False) \wedge \\
& (((p \ V0t) \wedge (p \ V0t)) \Leftrightarrow (p \ V0t)))))) \quad (53)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& ((\forall V0t \in 2.((\neg(\neg(p \ V0t))) \Leftrightarrow (p \ V0t)) \wedge (((\neg True) \Leftrightarrow False) \wedge \\
& ((\neg False) \Leftrightarrow True))) \quad (54)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty \ A_27a \Rightarrow (\forall V0x \in A_27a.((V0x = V0x) \Leftrightarrow \\
& True)) \quad (55)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty \ A_27a \Rightarrow (\forall V0x \in A_27a.(\forall V1y \in \\
& A_27a.((V0x = V1y) \Leftrightarrow (V1y = V0x)))) \quad (56)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0t \in 2.(((True \Leftrightarrow (p \ V0t)) \Leftrightarrow (p \ V0t)) \wedge (((p \ V0t) \Leftrightarrow True) \Leftrightarrow \\
& (p \ V0t)) \wedge (((False \Leftrightarrow (p \ V0t)) \Leftrightarrow (\neg(p \ V0t))) \wedge (((p \ V0t) \Leftrightarrow False) \Leftrightarrow (\neg(\\
& p \ V0t)))))) \quad (57)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty \ A_27a \Rightarrow (\forall V0t1 \in A_27a.(\forall V1t2 \in \\
& A_27a.(((ap \ (ap \ (ap \ (c_2Ebool_2ECOND \ A_27a) \ c_2Ebool_2ET) \ V0t1) \\
& V1t2) = V0t1) \wedge ((ap \ (ap \ (ap \ (c_2Ebool_2ECOND \ A_27a) \ c_2Ebool_2EF) \\
& V0t1) \ V1t2) = V1t2)))))) \quad (58)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0A \in 2.(\forall V1B \in 2.(((\neg((p \ V0A) \wedge (p \ V1B))) \Leftrightarrow ((\neg(\\
& p \ V0A)) \vee (\neg(p \ V1B)))))) \wedge (((\neg((p \ V0A) \vee (p \ V1B))) \Leftrightarrow ((\neg(p \ V0A)) \wedge (\neg(p \ V1B)))))) \quad (59)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0A \in 2.(\forall V1B \in 2.(((p \ V0A) \Rightarrow (p \ V1B)) \Leftrightarrow ((\neg(p \ V0A)) \vee \\
& (p \ V1B)))) \quad (60)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty \ A_27a \Rightarrow (\forall V0f \in (2^{A_27a}).(\forall V1v \in \\
& A_27a.((\forall V2x \in A_27a.((V2x = V1v) \Rightarrow (p \ (ap \ V0f \ V2x)))) \Leftrightarrow (p \ (\\
& ap \ V0f \ V1v)))))) \quad (61)
\end{aligned}$$

Assume the following.

$$\begin{aligned} \forall A.27a.nonempty\ A.27a \Rightarrow \forall A.27b.nonempty\ A.27b \Rightarrow (\\ \forall V0x \in A.27a. (\forall V1y \in A.27b. ((ap\ (ap\ (c.2Ecombin_2EK \\ A.27a\ A.27b)\ V0x)\ V1y) = V0x))) \end{aligned} \quad (62)$$

Assume the following.

$$\begin{aligned} \forall A.27a.nonempty\ A.27a \Rightarrow (\forall V0x \in A.27a. ((ap\ (c.2Ecombin_2EI \\ A.27a)\ V0x) = V0x)) \end{aligned} \quad (63)$$

Assume the following.

$$\begin{aligned} \forall A.27a.nonempty\ A.27a \Rightarrow \forall A.27b.nonempty\ A.27b \Rightarrow \forall A.27c. \\ nonempty\ A.27c \Rightarrow \forall A.27d.nonempty\ A.27d \Rightarrow \forall A.27e.nonempty \\ A.27e \Rightarrow \forall A.27f.nonempty\ A.27f \Rightarrow ((\forall V0f \in (A.27b^{A.27a}). \\ (\forall V1v \in A.27c. ((ap\ (ap\ (c.2Ecombin_2Eo\ A.27a\ A.27c\ A.27b) \\ (ap\ (c.2Ecombin_2EK\ A.27c\ A.27b)\ V1v))\ V0f) = (ap\ (c.2Ecombin_2EK \\ A.27c\ A.27a)\ V1v)))) \wedge (\forall V2f \in (A.27e^{A.27d}). (\forall V3v \in \\ A.27d. ((ap\ (ap\ (c.2Ecombin_2Eo\ A.27f\ A.27e\ A.27d)\ V2f)\ (ap\ (c.2Ecombin_2EK \\ A.27d\ A.27f)\ V3v)) = (ap\ (c.2Ecombin_2EK\ A.27e\ A.27f)\ (ap\ V2f\ V3v))))))) \end{aligned} \quad (64)$$

Assume the following.

$$\begin{aligned}
& ((\forall V0n \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2B \\
& \quad c_2Enum_2E0) V0n) = V0n)) \wedge ((\forall V1n \in ty_2Enum_2Enum.((ap \\
& \quad (ap c_2Earithmetic_2E_2B V1n) c_2Enum_2E0) = V1n)) \wedge ((\forall V2n \in \\
& \quad ty_2Enum_2Enum.(\forall V3m \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2B \\
& \quad (ap c_2Earithmetic_2ENUMERAL V2n)) (ap c_2Earithmetic_2ENUMERAL \\
& \quad V3m)) = (ap c_2Earithmetic_2ENUMERAL (ap c_2Enumeral_2EiZ (ap \\
& \quad (ap c_2Earithmetic_2E_2B V2n) V3m)))))) \wedge ((\forall V4n \in ty_2Enum_2Enum. \\
& \quad ((ap (ap c_2Earithmetic_2E_2A c_2Enum_2E0) V4n) = c_2Enum_2E0)) \wedge \\
& \quad ((\forall V5n \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2A \\
& \quad V5n) c_2Enum_2E0) = c_2Enum_2E0)) \wedge ((\forall V6n \in ty_2Enum_2Enum. \\
& \quad (\forall V7m \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2A (\\
& \quad ap c_2Earithmetic_2ENUMERAL V6n)) (ap c_2Earithmetic_2ENUMERAL \\
& \quad V7m)) = (ap c_2Earithmetic_2ENUMERAL (ap (ap c_2Earithmetic_2E_2A \\
& \quad V6n) V7m)))))) \wedge ((\forall V8n \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2D \\
& \quad c_2Enum_2E0) V8n) = c_2Enum_2E0)) \wedge ((\forall V9n \in ty_2Enum_2Enum. \\
& \quad ((ap (ap c_2Earithmetic_2E_2D V9n) c_2Enum_2E0) = V9n)) \wedge ((\forall V10n \in \\
& \quad ty_2Enum_2Enum.(\forall V11m \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2E_2D \\
& \quad (ap c_2Earithmetic_2ENUMERAL V10n)) (ap c_2Earithmetic_2ENUMERAL \\
& \quad V11m)) = (ap c_2Earithmetic_2ENUMERAL (ap (ap c_2Earithmetic_2E_2D \\
& \quad V10n) V11m)))))) \wedge ((\forall V12n \in ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2EEXP \\
& \quad c_2Enum_2E0) (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 \\
& \quad V12n))) = c_2Enum_2E0)) \wedge ((\forall V13n \in ty_2Enum_2Enum.((ap \\
& \quad (ap c_2Earithmetic_2EEXP c_2Enum_2E0) (ap c_2Earithmetic_2ENUMERAL \\
& \quad (ap c_2Earithmetic_2EBIT2 V13n))) = c_2Enum_2E0)) \wedge ((\forall V14n \in \\
& \quad ty_2Enum_2Enum.((ap (ap c_2Earithmetic_2EEXP V14n) c_2Enum_2E0) = \\
& \quad (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 c_2Earithmetic_2EZERO)))))) \wedge \\
& \quad ((\forall V15n \in ty_2Enum_2Enum.(\forall V16m \in ty_2Enum_2Enum. \\
& \quad ((ap (ap c_2Earithmetic_2EEXP (ap c_2Earithmetic_2ENUMERAL V15n)) \\
& \quad (ap c_2Earithmetic_2ENUMERAL V16m)) = (ap c_2Earithmetic_2ENUMERAL \\
& \quad (ap (ap c_2Earithmetic_2EEXP V15n) V16m)))))) \wedge ((ap c_2Enum_2ESUC \\
& \quad c_2Enum_2E0) = (ap c_2Earithmetic_2ENUMERAL (ap c_2Earithmetic_2EBIT1 \\
& \quad c_2Earithmetic_2EZERO))) \wedge ((\forall V17n \in ty_2Enum_2Enum. (\\
& \quad (ap c_2Enum_2ESUC (ap c_2Earithmetic_2ENUMERAL V17n)) = (ap c_2Earithmetic_2ENUMERAL \\
& \quad (ap c_2Enum_2ESUC V17n)))) \wedge ((ap c_2Eprim_rec_2EPRE c_2Enum_2E0) = \\
& \quad c_2Enum_2E0) \wedge ((\forall V18n \in ty_2Enum_2Enum.((ap c_2Eprim_rec_2EPRE \\
& \quad (ap c_2Earithmetic_2ENUMERAL V18n)) = (ap c_2Earithmetic_2ENUMERAL \\
& \quad (ap c_2Eprim_rec_2EPRE V18n)))) \wedge ((\forall V19n \in ty_2Enum_2Enum. \\
& \quad (((ap c_2Earithmetic_2ENUMERAL V19n) = c_2Enum_2E0) \Leftrightarrow (V19n = c_2Earithmetic_2EZERO))) \wedge \\
& \quad ((\forall V20n \in ty_2Enum_2Enum.((c_2Enum_2E0 = (ap c_2Earithmetic_2ENUMERAL \\
& \quad V20n)) \Leftrightarrow (V20n = c_2Earithmetic_2EZERO))) \wedge ((\forall V21n \in ty_2Enum_2Enum. \\
& \quad (\forall V22m \in ty_2Enum_2Enum.(((ap c_2Earithmetic_2ENUMERAL \\
& \quad V21n) = (ap c_2Earithmetic_2ENUMERAL V22m)) \Leftrightarrow (V21n = V22m)))) \wedge \\
& \quad ((\forall V23n \in ty_2Enum_2Enum.((p (ap (ap c_2Eprim_rec_2E_3C \\
& \quad V23n) c_2Enum_2E0)) \Leftrightarrow False)) \wedge ((\forall V24n \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap c_2Eprim_rec_2E_3C c_2Enum_2E0) (ap c_2Earithmetic_2ENUMERAL \\
& \quad V24n))) \Leftrightarrow (p (ap (ap c_2Eprim_rec_2E_3C c_2Earithmetic_2EZERO) \\
& \quad V24n)))) \wedge ((\forall V25n \in ty_2Enum_2Enum.(\forall V26m \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap c_2Eprim_rec_2E_3C (ap c_2Earithmetic_2ENUMERAL \\
& \quad V25n)) (ap c_2Earithmetic_2ENUMERAL V26m))) \Leftrightarrow (p (ap (ap c_2Eprim_rec_2E_3C \\
& \quad V25n) V26m)))))) \wedge ((\forall V27n \in ty_2Enum_2Enum.((p (ap (ap c_2Earithmetic_2E_3E \\
& \quad c_2Enum_2E0) V27n)) \Leftrightarrow False)) \wedge ((\forall V28n \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap c_2Earithmetic_2E_3E (ap c_2Earithmetic_2ENUMERAL \\
& \quad V28n)) c_2Enum_2E0)) \Leftrightarrow (p (ap (ap c_2Eprim_rec_2E_3C c_2Earithmetic_2EZERO) \\
& \quad V28n)))) \wedge ((\forall V29n \in ty_2Enum_2Enum.(\forall V30m \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap c_2Earithmetic_2E_3E (ap c_2Earithmetic_2ENUMERAL \\
& \quad V29n)) (ap c_2Earithmetic_2ENUMERAL V30m))) \Leftrightarrow (p (ap (ap c_2Eprim_rec_2E_3C \\
& \quad V30m) V29n)))))) \wedge ((\forall V31n \in ty_2Enum_2Enum.((p (ap (ap c_2Earithmetic_2E_3C_3D \\
& \quad c_2Enum_2E0) V31n)) \Leftrightarrow True)) \wedge ((\forall V32n \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap c_2Earithmetic_2E_3C_3D (ap c_2Earithmetic_2ENUMERAL
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. (\forall V1m \in ty_2Enum_2Enum. (\\
& ((c_2Earithmic_2EZERO = (ap\ c_2Earithmic_2EBIT1\ V0n)) \Leftrightarrow False) \wedge \\
& (((ap\ c_2Earithmic_2EBIT1\ V0n) = c_2Earithmic_2EZERO) \Leftrightarrow \\
& False) \wedge (((c_2Earithmic_2EZERO = (ap\ c_2Earithmic_2EBIT2 \\
& V0n)) \Leftrightarrow False) \wedge (((ap\ c_2Earithmic_2EBIT2\ V0n) = c_2Earithmic_2EZERO) \Leftrightarrow \\
& False) \wedge (((ap\ c_2Earithmic_2EBIT1\ V0n) = (ap\ c_2Earithmic_2EBIT2 \\
& V1m)) \Leftrightarrow False) \wedge (((ap\ c_2Earithmic_2EBIT2\ V0n) = (ap\ c_2Earithmic_2EBIT1 \\
& V1m)) \Leftrightarrow False) \wedge (((ap\ c_2Earithmic_2EBIT1\ V0n) = (ap\ c_2Earithmic_2EBIT1 \\
& V1m)) \Leftrightarrow (V0n = V1m)) \wedge (((ap\ c_2Earithmic_2EBIT2\ V0n) = (ap\ c_2Earithmic_2EBIT2 \\
& V1m)) \Leftrightarrow (V0n = V1m))))))))) \\
& \tag{66}
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. (\forall V1m \in ty_2Enum_2Enum. (\\
& ((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ c_2Earithmic_2EZERO)\ (ap\ c_2Earithmic_2EBIT1 \\
& V0n))) \Leftrightarrow True) \wedge (((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ c_2Earithmic_2EZERO) \\
& (ap\ c_2Earithmic_2EBIT2\ V0n))) \Leftrightarrow True) \wedge (((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C \\
& V0n)\ c_2Earithmic_2EZERO)) \Leftrightarrow False) \wedge (((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C \\
& (ap\ c_2Earithmic_2EBIT1\ V0n))\ (ap\ c_2Earithmic_2EBIT1\ V1m))) \Leftrightarrow \\
& (p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ V0n)\ V1m))) \wedge (((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C \\
& (ap\ c_2Earithmic_2EBIT2\ V0n))\ (ap\ c_2Earithmic_2EBIT2\ V1m))) \Leftrightarrow \\
& (p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ V0n)\ V1m))) \wedge (((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C \\
& (ap\ c_2Earithmic_2EBIT1\ V0n))\ (ap\ c_2Earithmic_2EBIT2\ V1m))) \Leftrightarrow \\
& (\neg(p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ V1m)\ V0n)))) \wedge ((p\ (ap\ (ap\ c_2Eprim_rec_2E_3C \\
& (ap\ c_2Earithmic_2EBIT2\ V0n))\ (ap\ c_2Earithmic_2EBIT1\ V1m))) \Leftrightarrow \\
& (p\ (ap\ (ap\ c_2Eprim_rec_2E_3C\ V0n)\ V1m))))))))) \\
& \tag{67}
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0x \in ty_2Enum_2Enum. (\forall V1b \in 2. (\forall V2n \in ty_2Enum_2Enum. \\
& (\forall V3m \in ty_2Enum_2Enum. (((ap (ap (ap c_2Enumeral_2EiSUB \\
& V1b) c_2Earithmic_2EZERO) V0x) = c_2Earithmic_2EZERO) \wedge (\\
& ((ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) V2n) c_2Earithmic_2EZERO) = \\
& V2n) \wedge (((ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT1 \\
& V2n)) c_2Earithmic_2EZERO) = (ap c_2Enumeral_2EiDUB V2n)) \wedge \\
& (((ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) (ap c_2Earithmic_2EBIT1 \\
& V2n)) (ap c_2Earithmic_2EBIT1 V3m)) = (ap c_2Enumeral_2EiDUB \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT1 \\
& V2n)) (ap c_2Earithmic_2EBIT1 V3m)) = (ap c_2Earithmic_2EBIT1 \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) (ap c_2Earithmic_2EBIT1 \\
& V2n)) (ap c_2Earithmic_2EBIT2 V3m)) = (ap c_2Earithmic_2EBIT1 \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT1 \\
& V2n)) (ap c_2Earithmic_2EBIT2 V3m)) = (ap c_2Enumeral_2EiDUB \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT2 \\
& V2n)) c_2Earithmic_2EZERO) = (ap c_2Earithmic_2EBIT1 V2n)) \wedge \\
& (((ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) (ap c_2Earithmic_2EBIT2 \\
& V2n)) (ap c_2Earithmic_2EBIT1 V3m)) = (ap c_2Earithmic_2EBIT1 \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT2 \\
& V2n)) (ap c_2Earithmic_2EBIT1 V3m)) = (ap c_2Enumeral_2EiDUB \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) V2n) V3m))) \wedge (((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) (ap c_2Earithmic_2EBIT2 \\
& V2n)) (ap c_2Earithmic_2EBIT2 V3m)) = (ap c_2Enumeral_2EiDUB \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2ET) V2n) V3m))) \wedge ((ap \\
& (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) (ap c_2Earithmic_2EBIT2 \\
& V2n)) (ap c_2Earithmic_2EBIT2 V3m)) = (ap c_2Earithmic_2EBIT1 \\
& (ap (ap (ap c_2Enumeral_2EiSUB c_2Ebool_2EF) V2n) V3m))))))))))))))))) \\
& \hspace{15em} (68)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. (\forall V1m \in ty_2Enum_2Enum. (\\
& (ap c_2Earithmic_2ENUMERAL (ap (ap c_2Earithmic_2E_2D V0n) \\
& V1m)) = (ap (ap (ap (c_2Ebool_2ECOND ty_2Enum_2Enum) (ap (ap c_2Eprim_rec_2E_3C \\
& V1m) V0n)) (ap c_2Earithmic_2ENUMERAL (ap (ap (ap c_2Enumeral_2EiSUB \\
& c_2Ebool_2ET) V0n) V1m))) c_2Enum_2E0)))) \\
& \hspace{15em} (69)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& (\forall V0n \in ty_2Enum_2Enum. ((p (ap c_2Earithmetic_2EVEN c_2Earithmetic_2EZERO)) \wedge \\
& \quad ((p (ap c_2Earithmetic_2EVEN (ap c_2Earithmetic_2EBIT2 V0n))) \wedge \\
& \quad ((\neg(p (ap c_2Earithmetic_2EVEN (ap c_2Earithmetic_2EBIT1 V0n)))) \wedge \\
& \quad \quad ((\neg(p (ap c_2Earithmetic_2EODD c_2Earithmetic_2EZERO))) \wedge ((\\
& \quad \quad \neg(p (ap c_2Earithmetic_2EODD (ap c_2Earithmetic_2EBIT2 V0n)))) \wedge \\
& \quad (p (ap c_2Earithmetic_2EODD (ap c_2Earithmetic_2EBIT1 V0n))))))))) \\
& \hspace{15em} (70)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& ((\forall V0a \in ty_2Enum_2Enum. (\forall V1b \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap (ap c_2Ebit_2EMOD_2EXP_EQ c_2Enum_2E0) V0a) V1b)) \Leftrightarrow \\
& \quad \quad True))) \wedge ((\forall V2n \in ty_2Enum_2Enum. (\forall V3a \in ty_2Enum_2Enum. \\
& \quad (\forall V4b \in ty_2Enum_2Enum. ((p (ap (ap (ap c_2Ebit_2EMOD_2EXP_EQ \\
& \quad (ap c_2Enum_2ESUC V2n)) V3a) V4b)) \Leftrightarrow ((p (ap c_2Earithmetic_2EODD \\
& \quad V3a)) \Leftrightarrow (p (ap c_2Earithmetic_2EODD V4b))) \wedge (p (ap (ap (ap c_2Ebit_2EMOD_2EXP_EQ \\
& \quad V2n) (ap c_2Earithmetic_2EDIV2 V3a)) (ap c_2Earithmetic_2EDIV2 \\
& \quad V4b))))))))) \wedge ((\forall V5n \in ty_2Enum_2Enum. (\forall V6a \in ty_2Enum_2Enum. \\
& \quad ((p (ap (ap (ap c_2Ebit_2EMOD_2EXP_EQ V5n) V6a) V6a)) \Leftrightarrow True)))))) \\
& \hspace{15em} (71)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty A_27a \Rightarrow (p (ap (ap c_2Eprim_rec_2E_3C c_2Enum_2E0) \\
& \quad (ap (c_2Ewords_2Edimword A_27a) (c_2Ebool_2Ethe_value A_27a)))) \\
& \hspace{15em} (72)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty A_27a \Rightarrow (\forall V0m \in ty_2Enum_2Enum. (\\
& \quad \forall V1n \in ty_2Enum_2Enum. (((ap (c_2Ewords_2En2w A_27a) V0m) = \\
& \quad (ap (c_2Ewords_2En2w A_27a) V1n)) \Leftrightarrow ((ap (ap c_2Earithmetic_2EMOD \\
& \quad V0m) (ap (c_2Ewords_2Edimword A_27a) (c_2Ebool_2Ethe_value \\
& \quad A_27a))) = (ap (ap c_2Earithmetic_2EMOD V1n) (ap (c_2Ewords_2Edimword \\
& \quad A_27a) (c_2Ebool_2Ethe_value A_27a)))))) \\
& \hspace{15em} (73)
\end{aligned}$$

Assume the following.

$$\begin{aligned}
& \forall A_27a.nonempty A_27a \Rightarrow (\forall V0n \in ty_2Enum_2Enum. (\\
& \quad (ap (c_2Ewords_2Eword_2comp A_27a) (ap (c_2Ewords_2En2w A_27a) \\
& \quad V0n)) = (ap (c_2Ewords_2En2w A_27a) (ap (ap c_2Earithmetic_2E_2D \\
& \quad (ap (c_2Ewords_2Edimword A_27a) (c_2Ebool_2Ethe_value A_27a))) \\
& \quad (ap (ap c_2Earithmetic_2EMOD V0n) (ap (c_2Ewords_2Edimword A_27a) \\
& \quad (c_2Ebool_2Ethe_value A_27a)))))) \\
& \hspace{15em} (74)
\end{aligned}$$

Assume the following.

$$\begin{aligned} \forall A_27a.nonempty\ A_27a \Rightarrow & ((ap\ (c_2Ewords_2Eword_2comp \\ A_27a)\ (ap\ (c_2Ewords_2En2w\ A_27a)\ (ap\ c_2Earithmetic_2ENUMERAL \\ (ap\ c_2Earithmetic_2EBIT1\ c_2Earithmetic_2EZERO)))) = & (c_2Ewords_2Eword_T \\ & A_27a)) \end{aligned} \quad (75)$$

Assume the following.

$$\begin{aligned} \forall A_27a.nonempty\ A_27a \Rightarrow & ((ap\ (c_2Ewords_2Eword_1comp \\ A_27a)\ (ap\ (c_2Ewords_2En2w\ A_27a)\ c_2Enum_2E0)) = & (c_2Ewords_2Eword_T \\ & A_27a)) \end{aligned} \quad (76)$$

Assume the following.

$$\begin{aligned} \forall A_27a.nonempty\ A_27a \Rightarrow & ((\forall V0m \in ty_2Enum_2Enum. \\ (\forall V1n \in ty_2Enum_2Enum. & (((ap\ (c_2Ewords_2En2w\ A_27a)\ V0m) = \\ (ap\ (c_2Ewords_2En2w\ A_27a)\ V1n)) \Leftrightarrow & (p\ (ap\ (ap\ (ap\ c_2Ebit_2EMOD_2EXP_EQ \\ (ap\ (c_2Efc_2Edimindex\ A_27a)\ (c_2Ebool_2Ethe_value\ A_27a))) \\ V0m)\ V1n)))) \wedge & ((\forall V2n \in ty_2Enum_2Enum. \\ (ap\ (c_2Ewords_2Eword_2comp\ A_27a)\ (ap\ (c_2Ewords_2En2w \\ A_27a)\ (ap\ c_2Earithmetic_2ENUMERAL\ (ap\ c_2Earithmetic_2EBIT1 \\ c_2Earithmetic_2EZERO)))) \Leftrightarrow & (p\ (ap\ (ap\ c_2Ebit_2EMOD_2EXP_MAX \\ (ap\ (c_2Efc_2Edimindex\ A_27a)\ (c_2Ebool_2Ethe_value\ A_27a))) \\ V2n)))) \wedge & ((\forall V3n \in ty_2Enum_2Enum. \\ (ap\ (c_2Ewords_2Eword_2comp\ A_27a)\ (ap\ (c_2Ewords_2En2w\ A_27a)\ (ap\ c_2Earithmetic_2ENUMERAL \\ (ap\ c_2Earithmetic_2EBIT1\ c_2Earithmetic_2EZERO)))) = & (ap\ (c_2Ewords_2En2w \\ A_27a)\ V3n)) \Leftrightarrow & (p\ (ap\ (ap\ c_2Ebit_2EMOD_2EXP_MAX\ (ap\ (c_2Efc_2Edimindex \\ A_27a)\ (c_2Ebool_2Ethe_value\ A_27a)))\ V3n)))))) \end{aligned} \quad (77)$$

Assume the following.

$$\begin{aligned} ((ap\ (c_2Efc_2Edimindex\ ty_2Eone_2Eone)\ (c_2Ebool_2Ethe_value \\ ty_2Eone_2Eone)) = & (ap\ c_2Earithmetic_2ENUMERAL\ (ap\ c_2Earithmetic_2EBIT1 \\ & c_2Earithmetic_2EZERO))) \end{aligned} \quad (78)$$

Assume the following.

$$\begin{aligned} ((ap\ (c_2Ewords_2Edimword\ ty_2Eone_2Eone)\ (c_2Ebool_2Ethe_value \\ ty_2Eone_2Eone)) = & (ap\ c_2Earithmetic_2ENUMERAL\ (ap\ c_2Earithmetic_2EBIT2 \\ & c_2Earithmetic_2EZERO))) \end{aligned} \quad (79)$$

Theorem 1

$$\begin{aligned} & \forall A_27t.nonempty\ A_27t \Rightarrow \forall A_27w.nonempty\ A_27w \Rightarrow (\\ & \forall V0x \in (ty_2Ebinary_ieee_2Efloat\ A_27t\ A_27w). (\neg((V0x = \\ & (ap\ (c_2Ebinary_ieee_2Efloat_plus_infinity\ A_27t\ A_27w) \\ & (c_2Ebool_2Ethe_value\ (ty_2Epair_2Eprod\ A_27t\ A_27w)))))) \wedge (\\ & V0x = (ap\ (c_2Ebinary_ieee_2Efloat_minus_infinity\ A_27t\ A_27w) \\ & (c_2Ebool_2Ethe_value\ (ty_2Epair_2Eprod\ A_27t\ A_27w)))))) \end{aligned}$$