

t17_card_4

(TMYm3WqxQrUTMXxBqkBGiXeacj961p8vSkJ)

October 27, 2020

Let $v1_card_1 : \iota \Rightarrow o$ be given. Let $v1_finset_1 : \iota \Rightarrow o$ be given. Let $r1_ordinal1 : \iota \Rightarrow \iota \Rightarrow o$ be given. Let $k2_card_2 : \iota \Rightarrow \iota \Rightarrow \iota$ be given. Assume the following.

$$\begin{aligned} & \forall X0.(v1_card_1 X0) \Rightarrow (\forall X1.(v1_card_1 X1) \Rightarrow (\forall X2. \\ & (v1_card_1 X2) \Rightarrow (((X0 \in X1) \vee (r1_ordinal1 X0 X1)) \Rightarrow ((r1_ordinal1 \\ & (k2_card_2 X2 X0) (k2_card_2 X2 X1)) \wedge ((r1_ordinal1 (k2_card_2 \\ & X2 X0) (k2_card_2 X1 X2)) \wedge ((r1_ordinal1 (k2_card_2 X0 X2) (k2_card_2 \\ & X2 X1)) \wedge (r1_ordinal1 (k2_card_2 X0 X2) (k2_card_2 X1 X2)))))))) \end{aligned} \quad (1)$$

Assume the following.

$$\forall X0.(v1_card_1 X0) \Rightarrow ((\neg v1_finset_1 X0) \Rightarrow (k2_card_2 X0 X0 = X0)) \quad (2)$$

Assume the following.

$$\forall X0.\forall X1.((v1_card_1 X0) \wedge (v1_card_1 X1)) \Rightarrow (k2_card_2 X0 X1 = k2_card_2 X1 X0) \quad (3)$$

Theorem 1

$$\begin{aligned} & \forall X0.(v1_card_1 X0) \Rightarrow (\forall X1.(v1_card_1 X1) \Rightarrow (\neg(\neg v1_finset_1 \\ & X0) \wedge (((r1_ordinal1 X1 X0) \vee (X1 \in X0)) \wedge (\neg(r1_ordinal1 (k2_card_2 \\ & X0 X1) X0) \wedge (r1_ordinal1 (k2_card_2 X1 X0) X0)))))) \end{aligned}$$