# t1_card_5 <br> (TMSBH4V2axFfx1vrM2gWLF5dJMU7UCpVxhG) 

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Let $k 2_{\_}$card_1 : $\iota \Rightarrow \iota$ be given. Let $k 1_{\_}$card_1 $: \iota \Rightarrow \iota$ be given. Assume the following.

$$
\begin{gather*}
\forall X 0 . \forall X 1 .\left(k 1 \_c a r d \_1 X 0=k 1 \_c a r d \_1 X 1\right) \Rightarrow\left(k 2 \_c a r d \_1\right. \\
\left.X 0=k 2 \_c a r d \_1 X 1\right) \tag{1}
\end{gather*}
$$

Assume the following.

$$
\begin{equation*}
\forall X 0 . k 1 \_c a r d \_1\left(k 1_{-} c a r d \_1 \quad X 0\right)=k 1 \_c a r d \_1 X 0 \tag{2}
\end{equation*}
$$

Theorem $1 \forall X 0 . k 2 \_c a r d \_1\left(k 1 \_c a r d \_1 X 0\right)=k 2 \_c a r d \_1 X 0$.

