

# t3\_hermitan (TM- NyQqP2syQNsQLNpowY7W4k8KjLar8wPdt)

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Let  $m1\_subset\_1 : \iota \Rightarrow \iota \Rightarrow o$  be given. Let  $k2\_numbers : \iota$  be given. Let  $k17\_complex1 : \iota \Rightarrow \iota$  be given. Let  $np\_1 : \iota$  be given. Let  $k3\_complex1 : \iota \Rightarrow \iota$  be given. Let  $k9\_complex1 : \iota \Rightarrow \iota \Rightarrow \iota$  be given. Let  $k4\_complex1 : \iota \Rightarrow \iota$  be given. Let  $k6\_numbers : \iota$  be given. Let  $k6\_complex1 : \iota$  be given. Let  $k5\_complex1 : \iota$  be given. Let  $k8\_complex1 : \iota \Rightarrow \iota \Rightarrow \iota$  be given. Let  $k13\_complex1 : \iota \Rightarrow \iota \Rightarrow \iota$  be given. Let  $k1\_real\_1 : \iota \Rightarrow \iota$  be given. Let  $k7\_complex1 : \iota$  be given. Let  $v1\_xcmplx\_0 : \iota \Rightarrow o$  be given. Let  $k3\_xcmplx\_0 : \iota \Rightarrow \iota \Rightarrow \iota$  be given. Let  $k1\_xboole\_0 : \iota$  be given. Let  $k1\_numbers : \iota$  be given. Assume the following.

$$(k3\_complex1\ k6\_numbers = k6\_numbers) \wedge (k4\_complex1\ k6\_numbers = k6\_numbers) \tag{1}$$

Assume the following.

$$k17\_complex1\ k6\_complex1 = np\_1 \tag{2}$$

Assume the following.

$$k17\_complex1\ k6\_numbers = k6\_numbers \tag{3}$$

Assume the following.

$$\begin{aligned} & \forall X0.(m1\_subset\_1\ X0\ k2\_numbers) \Rightarrow ((X0 \neq k5\_complex1) \Rightarrow ( \\ & (k17\_complex1\ (k8\_complex1\ (k13\_complex1\ (k3\_complex1\ X0)\ (k17\_complex1 \\ & X0))\ (k9\_complex1\ (k13\_complex1\ (k1\_real\_1\ (k4\_complex1\ X0)) \\ & (k17\_complex1\ X0))\ k7\_complex1)) = np\_1) \wedge ((k3\_complex1\ (k9\_complex1 \\ & (k8\_complex1\ (k13\_complex1\ (k3\_complex1\ X0)\ (k17\_complex1\ X0)) \\ & (k9\_complex1\ (k13\_complex1\ (k1\_real\_1\ (k4\_complex1\ X0))\ (k17\_complex1 \\ & X0))\ k7\_complex1))\ X0) = k17\_complex1\ X0) \wedge (k4\_complex1\ (k9\_complex1 \\ & (k8\_complex1\ (k13\_complex1\ (k3\_complex1\ X0)\ (k17\_complex1\ X0)) \\ & (k9\_complex1\ (k13\_complex1\ (k1\_real\_1\ (k4\_complex1\ X0))\ (k17\_complex1 \\ & X0))\ k7\_complex1))\ X0) = k6\_numbers)))) \end{aligned} \tag{4}$$

Assume the following.

$$\forall X0.(v1\_xcmplx\_0 X0) \Rightarrow (k3\_xcmplx\_0 X0 \ k6\_numbers = k6\_numbers) \quad (5)$$

Assume the following.

$$\forall X0.\forall X1.((m1\_subset\_1 X0 \ k2\_numbers) \wedge (m1\_subset\_1 X1 \ k2\_numbers)) \Rightarrow (k9\_complex1 X0 X1 = k3\_xcmplx\_0 X0 X1) \quad (6)$$

Assume the following.

$$k6\_numbers = k1\_xboole\_0 \quad (7)$$

Assume the following.

$$k5\_complex1 = k1\_xboole\_0 \quad (8)$$

Assume the following.

$$\forall X0.\forall X1.((m1\_subset\_1 X0 \ k2\_numbers) \wedge (m1\_subset\_1 X1 \ k2\_numbers)) \Rightarrow (m1\_subset\_1 (k9\_complex1 X0 X1) \ k2\_numbers) \quad (9)$$

Assume the following.

$$\forall X0.\forall X1.((m1\_subset\_1 X0 \ k2\_numbers) \wedge (m1\_subset\_1 X1 \ k2\_numbers)) \Rightarrow (m1\_subset\_1 (k8\_complex1 X0 X1) \ k2\_numbers) \quad (10)$$

Assume the following.

$$m1\_subset\_1 \ k7\_complex1 \ k2\_numbers \quad (11)$$

Assume the following.

$$m1\_subset\_1 \ k6\_complex1 \ k2\_numbers \quad (12)$$

Assume the following.

$$\forall X0.(v1\_xcmplx\_0 X0) \Rightarrow (m1\_subset\_1 (k4\_complex1 X0) \ k1\_numbers) \quad (13)$$

Assume the following.

$$\forall X0.(v1\_xcmplx\_0 X0) \Rightarrow (m1\_subset\_1 (k3\_complex1 X0) \ k1\_numbers) \quad (14)$$

Assume the following.

$$\forall X0.(m1\_subset\_1 X0 \ k1\_numbers) \Rightarrow (m1\_subset\_1 (k1\_real1 X0) \ k1\_numbers) \quad (15)$$

Assume the following.

$$\forall X0.(v1\_xcmplx\_0 X0) \Rightarrow (m1\_subset\_1 (k17\_complex1 X0) \ k1\_numbers) \quad (16)$$

Assume the following.

$$\forall X0. \forall X1. ((v1\_xcmplx\_0 X0) \wedge (v1\_xcmplx\_0 X1)) \Rightarrow (m1\_subset\_1 (k13\_complex1 X0 X1) k2\_numbers) \quad (17)$$

Assume the following.

$$k6\_complex1 = np\_1 \quad (18)$$

Assume the following.

$$\forall X0. (m1\_subset\_1 X0 k2\_numbers) \Rightarrow (v1\_xcmplx\_0 X0) \quad (19)$$

Assume the following.

$$\forall X0. (m1\_subset\_1 X0 k1\_numbers) \Rightarrow (v1\_xcmplx\_0 X0) \quad (20)$$

**Theorem 1**

$$\forall X0. (m1\_subset\_1 X0 k2\_numbers) \Rightarrow (\exists X1. (m1\_subset\_1 X1 k2\_numbers) \wedge ((k17\_complex1 X1 = np\_1) \wedge ((k3\_complex1 (k9\_complex1 X1 X0) = k17\_complex1 X0) \wedge (k4\_complex1 (k9\_complex1 X1 X0) = k6\_numbers))))))$$